

Description: This is a test document for the **AcroT_EX Test Bundle**. The document contains a variety of problems types that can be selected.

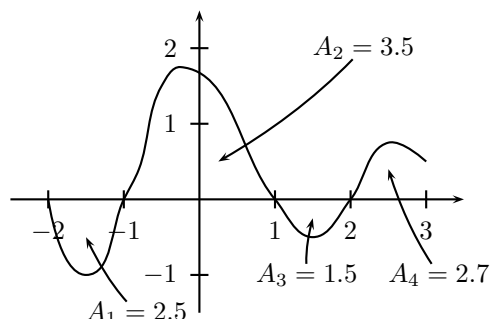
The next question has a figure drawn by pstricks. Immediately following the \ID is the \uses command where the packages that this question uses are listed in a comma-delimited list. The JavaScript of @EASE will search each problem for the \uses command, then read the list of packages needed. This packages will then be inserted into an array, when @EASE builds the exam, it will include the packages listed in the array (after removing duplicate packages).

1. Consider the graph of the function f sketched to the right. Based on the given information on the areas of the various regions, calculate...

$$\int_{-2}^3 f(x) dx = \boxed{}$$

and

$$\int_{-2}^3 |f(x)| dx = \boxed{}$$



2. Define a function by $h(x) = \int_{x^2}^5 \sqrt{t^2 + 4} dt$. Calculate $h'(x)$.

$$h'(x) = \boxed{}$$

3. Determine the truth (T) or falsity (F) of each of the following statements. Enter a “T” or a “F” on the blank line to indicate your answer.

(a) _____ $\int cf(x) dx = c \int f(x) dx$, here c is a constant.	(c) _____ $\int \frac{x}{\cos(x)} dx = \frac{x^2}{2 \sin(x)} + C$
(b) _____ $\int xf(x) dx = x \int f(x) dx$	(d) _____ $\int_b^a f(x) dx = - \int_a^b f(x) dx$

4. Solve each of the following elementary integrals.

(a) $\int_{-3}^1 3x^2 - 2x dx$	(c) $\int (3x^2 + 2)^2 dx$
(b) $\int 6 \sec(s) \tan(s) ds$	(d) $\int \frac{4x^2 + 1}{\sqrt{x}} dx$

5. Let $f(x)$ be defined by $f(x) = \begin{cases} 2 - 2x & -2 \leq x \leq 0 \\ 4x^2 & 0 \leq x \leq 1 \end{cases}$. Calculate the following integral: $\int_{-2}^1 f(x) dx$

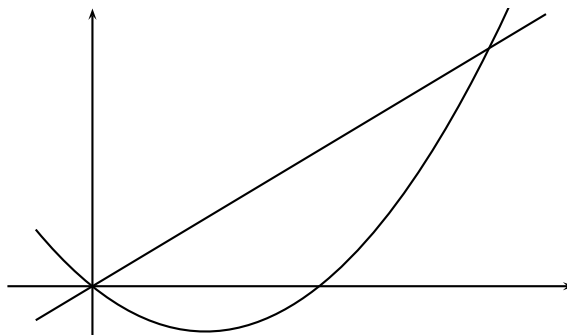
6. Solve each of the following integrals (possibly using the *Substitution Rule*).

(a) $\int_0^2 \sqrt{6x + 4} dx$	(c) $\int x^4 (2 - 3x^5)^{1/3} dx$
(b) $\int \sec^2(\frac{6}{7}x) dx$	(d) $\int \sin(x) \cos^5(x) dx$

7. Consider the region bounded by the curves $x = y^{3/2}$, $y = 4$, and the y -axis. The region is rotated about the y -axis, calculate the volume of this solid of revolution.

Here is another question that uses PSTricks. The `\uses` command is used to specify the packages required.

8. Consider the region bounded by the curves $y = x^2 - 4x$ and $y = 3x$. Set up the area integral for this region.



9. The base of a solid S is bounded by the x -axis, the line $y = 2x$ and the line $x = 2$. Each cross-section perpendicular to the x -axis is a *rectangle*. The base of each rectangle lies on the base of the solid and the height of the rectangle is twice that of the base. Find the volume of this solid S . (*Hint*: Read the description of the solid carefully, draw a picture of the base of the solid S , draw a typical cross-section, and compute the lengths of the sides of the rectangle as a function of x .)

This next DB element is enclosed in the `eqComments` environment and is itself enclosed between `\ID` and `\endID`. When content is enclosed in this way, the `eqComments` environment and its contents are selectable. This construct is suitable for inserting tables, charts, figures and pictures into an exam not associated with a particular problem. These are used as reference materials on the test. One could develop a DB document containing charts, (statistical) tables, etc., that are commonly used in your exams.

Recall: Use the following facts freely throughout the exam.

$$\frac{1}{1-x} = \sum_{n=0}^{\infty} x^n, \quad R = 1, \quad \sin(x) = \sum_{n=0}^{\infty} \frac{(-1)^n}{(2n+1)!} x^{2n+1}, \quad R = \infty,$$

$$e^x = \sum_{n=0}^{\infty} \frac{1}{n!} x^n, \quad R = \infty, \quad \cos(x) = \sum_{n=0}^{\infty} \frac{(-1)^n}{(2n)!} x^{2n}, \quad R = \infty$$